

# 算法与数据结构

No. \_\_\_\_\_

Date \_\_\_\_\_

## 哈夫曼树 (Huffman)

1. 目的: 求带权外部路径长度最小的扩充二叉树, 或称最优二叉树。

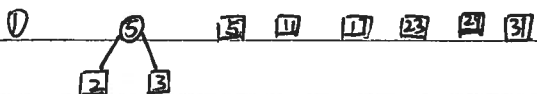
2. 基本思想: 每次从所有扩充二叉树中, 选取根结点权值最小和次最小的两棵, 将它们作为左、右子树, 成为新二叉树, 其权值为左右根结点权值之和。直到只有一棵树为止。

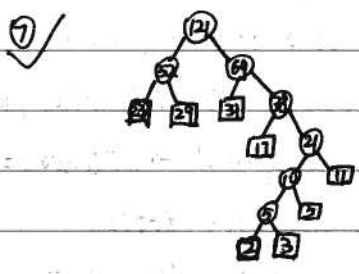
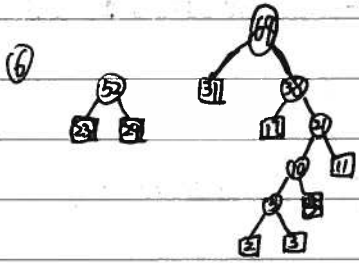
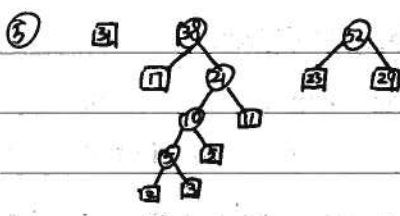
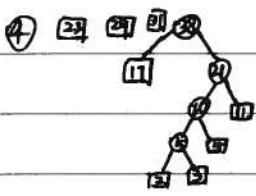
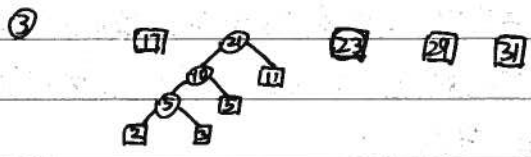
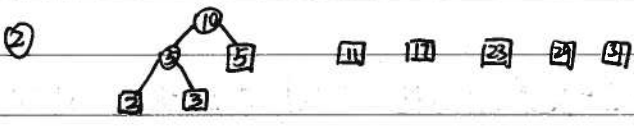
3. 证明: 不知道如何证明。

4. 算法 PHTree Huffman (int m, int \*w)

```
{
    pht = malloc (sizeof (struct Htree));
    pht->ht = malloc ((2*m-1) * Size of (Htree)); (ht [2m-1] 数组)
    ① for (i=0; i<2*m-1; i++) {
        pht->ht[i].link (rlink, parent) = -1;
        if (i<m) pht->ht[i].ww = w[i]; else pht->ht[i].ww = -1;
        for (i=0; i<m-1; i++) {
            m1 (m2) = MAX; x1 (x2) = -1;
            for (j=0; j<m+i; j++) (找两个最小权无父结点的结点)
                if (pht->ht[j].ww < m1 && pht->ht[j].parent == -1)
                    { m2 = m1; x2 = x1; m1 = pht->ht[j].ww; x1 = j; }
                else if (pht->ht[j].ww < m2 && pht->ht[j].parent == -1)
                    { m2 m2 = pht->ht[j].ww; x2 = j; }
            pht->ht[x1].parent = pht->ht[x2].parent = m+i;
            pht->ht[m+i].ww = m1+m2 (llink = x1, rlink = x2);
        }
    }
    pht->root = 2*m-2; return pht;
}
```

5. 图示:  $w[8] = \{2, 3, 5, 11, 17, 23, 29, 31\}$ .





空 0cm 时 0cm<sup>2</sup>